

# Strategic Delegation and Non-cooperative International Permit Markets\*

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**Abstract:** We analyze a principal-agent relationship in the context of international climate policy in a two-country set-up. First, the principals of both countries decide whether to link their domestic emission permit markets to an international market. Second, the principals select agents who then decide on the levels of emission permits. Finally, these permits are traded on domestic or international permit markets. We find that the principals in both countries have an incentive to select agents that care (weakly) less for environmental damages than they do themselves. This incentive is more pronounced under international permit markets, and in particular for permit sellers, rendering an international market less beneficial to at least one country. This may explain why we do not observe international permit markets despite their seemingly favorable characteristics. More generally, our results suggest that treating countries as atomistic players may be over-simplifying when analyzing strategic behavior in international policy making.

**Keywords:** non-cooperative climate policy, political economy, emissions trading, linking of permit markets, strategic delegation

**JEL-Classification:** D72, H23, H41, Q54, Q58

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## 1 Introduction

When analyzing international (environmental) policy, individual countries are usually represented by single benevolent decision makers, for example governments, that act in the best interest of the country as a whole. In this paper, we depart from this idealized abstraction by acknowledging that policies in modern democracies are typically shaped by hierarchical processes. All these decision making procedures have in common that a principal first decides upon the rough orientation of the policy and then appoints an agent who elaborates on the details of this policy (and possibly implements it).

The particular environmental policy we investigate is the formation of an international emission permit market where countries non-cooperatively choose emission permit levels (Helm 2003). Such an international market may be preferable over purely domestic environmental policies because it equalizes – by design – the marginal benefits of emissions across countries. This condition, while necessary for globally efficient emission reduction, is only accidentally met in case of purely domestic policies. The reason we focus on non-cooperative (in the game theoretic sense) climate policies is twofold. On the one hand, the recent UN-FCCC negotiations for a successor of the Kyoto Protocol have proven the difficulties of achieving international cooperation. As a consequence, alternatives such as linking already established national or regional emissions trading systems have been discussed (Flachsland et al. 2009, Jaffe et al. 2009, Green et al. 2014). On the other hand, Carbone et al. (2009) have recently shown that even non-cooperative permit markets exhibit substantial potential for greenhouse gas reductions. Despite their favorable characteristics, we have not seen the formation of many such markets yet, with California and Québec which have linked their cap-and-trade systems in 2014 being a notable exception.<sup>1</sup>

We shed light on this puzzle by analyzing the typical principal-agent relationship outlined above in the context of international climate policy in a two-country set-up. In a first step, the principals of both countries decide on whether to link their domestic emission permit markets to an international market which is formed if and only if both principals agree to it. Second, both principals select one agent each who is in charge of the issuance of emission permits. Then, the selected agents in both countries decide on the numbers of emission permits that are issued to the domestic firms. Trading of permits – within or between countries – takes place in the final stage.

We find that the hierarchical structure of the political process gives rise to strategic delegation. The principals of both countries appoint agents that care (weakly) less for envi-

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<sup>1</sup> While the EU-ETS is clearly an international permit market, we do not consider it “non-cooperative” because of the supranational authority the European Union exerts on the national governments with respect to domestic emission permit levels.

ronmental damages than they do themselves. The reason is that emission permit levels are strategic substitutes: by delegating the emission permit choice to a less green agent that – ceteris paribus – issues more permits than the principal would do himself, the principal can – again, ceteris paribus – induce the other country’s agent to reduce her emission permit issuance. However, as the principals in both countries face similar incentives, they end up in a prisoners’ dilemma situation: Both would be better off if they selected agents that share their own preferences; yet, such self-representation is not an equilibrium of the game.

Moreover, the strategic delegation incentives are – for relevant parameter constellations – stronger under an international permit market than under domestic permit markets. The reason is that on an international market there is an additional incentive to issue permits that is driven by the permit market’s terms of trade. The principals of both the permit-buying and the permit-selling country may gain from issuing more permits which can be achieved by delegation to a less green agent: Even though total emissions and thus damages in both countries will rise, the permit-selling country may be able to sell more permits and cash in the resulting revenues whereas the permit-buying country benefits from a lower permit price. However, the resulting increase in total emissions and associated damages from delegating to less green agents renders linking less beneficial in many cases. Overall, we find that the conditions for the formation of an international non-cooperative permit market are less favorable than the standard permit market literature, which neglects the hierarchical structure of international environmental policy, suggests.

Our paper contributes to several strands of literature. It builds on the literature of non-cooperative international permit markets, developed by Helm (2003), Carbone et al. (2009) and Helm and Pichler (2015). While these papers assume that countries are represented by one welfare-maximizing agent, we explicitly take account of the principal-agent relationship between different bodies of international policy making within one country, for example, the electorate (or, to be more precise, the median voter) and the elected government. In this regard, we draw on the strategic delegation literature (Segendorff 1998). In the context of environmental policy, strategic delegation has been analyzed by Siqueira (2003) and Buchholz et al. (2005) who both find a bias towards politicians who are less green than the median voter. By electing a more conservative politician, the home country commits itself to a lower tax on pollution, shifting the burden of a cleaner environment to the foreign country. Taking into account emissions leakage through shifts in production, Roelfsema (2007) finds that median voters may delegate to politicians who put more weight on environmental damage than they do themselves, whenever their preferences for the environment relative to firms’ profits are sufficiently strong. Recent contributions on strategic delegation and public goods provision are Harstad (2010), Christiansen (2013) and Kempf and Rossignol (2013). Harstad (2010) studies the incentives to delegate to more conservative or more progressive politi-

cians. While delegation to the former increases the bargaining position, the latter are more likely to be included in majority coalitions and hence increase the political power of their jurisdiction. The direction of delegation in this model depends on the design of the political system. Christiansen (2013) shows in a model of legislative bargaining that voters strategically delegate to public good lovers. In Kempf and Rossignol (2013), the electorates of two countries each delegate to an agent who then bargains with the delegate of the other country over the provision of a public good with cross-country spillovers. The choice of delegates is found to depend heavily on the distributive characteristics of the proposed agreement.<sup>2</sup> As in Siqueira (2003) and Roelfsema (2007), the agents selected by the principals in our model do not engage in a bargaining process but rather set environmental policies according to their own preferences. In contrast to this literature, however, we examine delegation under international permit markets.

The literature on linking has come up with several explanations why “bottom-up” (or non-cooperative in our terminology) approaches to permit trading have not been successful. Among the obstacles that have been identified by Green et al. (2014), for example, are different levels of ambition, competing domestic policy objectives, objections to financial transfers and the difficulty of regulatory coordination. We add to this literature by suggesting that the hierarchical structures underlying environmental policy may be a reason for the rejection of otherwise beneficial policies.

Finally, our paper is strongly related to a companion paper (Habla and Winkler 2013), in which we analyze the political economy of non-cooperative international emission permit markets under legislative lobbying in each country. We think of the common agency and the strategic delegation model as being complementary perspectives on the political process of modern democracies: Whereas the common agency set-up assumes an *incumbent decision maker* that is swayed by interest groups to implement policies in their favor, the strategic delegation literature models the process of *bringing a decision maker into power*, where the principal takes into account that she might be better off by empowering a decision maker who does not represent her own preferences because of strategic interactions of the selected agents between countries.<sup>3</sup>

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<sup>2</sup> There also exists a literature on policy delegation in monitoring and enforcement of environmental regulation, see, for example, Heyes and Kapur (2009, 2011), and Arguedas and Rousseau (2015).

<sup>3</sup> In addition, although both approaches analyze principal-agent relationships, the common agency approach differs from strategic delegation in so far as it includes competition among principals for political influence. A single principal, by contrast, never faces any competition and hence is not required to engage in rent-seeking.

## 2 The model

We consider two countries, indexed by  $i = 1, 2$  and  $-i = \{1, 2\} \setminus i$ .<sup>4</sup> In each country  $i$ , emissions  $e_i$  imply country-specific benefits from the productive activities of a representative firm. In addition, global emissions,  $E = e_1 + e_2$ , cause strictly increasing and convex country-specific damages.

### 2.1 Non-cooperative international climate policy

Both countries set up perfectly competitive domestic emission permit markets and decide non-cooperatively on the number of permits  $\omega_i$  issued to their representative domestic firm. As firms in all countries  $i$  need as many emission permits as they produce emissions  $e_i$ , global emissions are given by the sum of emission permits issued,  $E = \omega_1 + \omega_2$ . Countries may agree upon linking the domestic markets to an international market. Then permits issued by both countries are non-discriminatorily traded on a perfectly competitive international market.

Restricting emissions imposes compliance cost on the representative firms and thus reduces profits. If permits are traded internationally, firms have an opportunity to either generate additional profits by selling permits or reduce the compliance cost by buying permits from abroad. Thus, the profits of the representative firm read:

$$\pi_i(e_i) = B_i(e_i) + p(\omega_i - e_i) , \quad i = 1, 2 , \quad (1)$$

where  $B_i(e_i)$  denotes country-specific benefits from productive activities with  $B_i(0) = 0$ ,  $B_i' > 0$ ,  $B_i'' < 0$ , and  $p$  is the price of permits on an international market. If countries decide against linking,  $\omega_i = e_i$  holds in equilibrium and the second term vanishes.

### 2.2 Political actors

In each country  $i$  there is a principal whose utility is given by:

$$V_i = \pi_i(e_i) - \theta_i^M D_i(E) , \quad (2)$$

where  $D_i(E)$  denote convex country-specific damages  $D_i(E)$  with  $D_i(0) = 0$  and  $D_i' > 0$ ,  $D_i'' \geq 0$  for all  $E > 0$  and  $i = 1, 2$ . Without loss of generality, we normalize  $\theta_i^M$  to unity.

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<sup>4</sup> All our results can be generalized to  $n$  countries in a straightforward manner.

In addition, there is a continuum of agents  $j$  of mass one in each country  $i$ , whose utility is given by:

$$W_i^j = \pi_i(e_i) - \theta_i^j D_i(E) , \quad (3)$$

where  $\theta_i^j$  is a preference parameter that is continuously distributed on the bounded interval  $[0, \theta_i^{\max}]$ . To ensure that in both countries the principal's preferences are represented in the continuum of agents, we impose  $\theta_i^{\max} > 1$ .

In each country, all agents and the principal thus have equal stakes in the profits of the domestic firm but differ with respect to environmental damage. This may be either because damages are heterogeneously distributed or because the monetary valuation of homogenous physical environmental damage differs. We assume that all political actors (principals and agents) are selfish in the sense that they decide such as to maximize their respective utility, i.e. the principal in country  $i$  chooses her actions such as to maximize  $V_i$ , while agent  $j$  in country  $i$  decides such as to maximize his utility  $W_i^j$ .

### 2.3 Structure and timing of the game

We model the hierarchical structure of environmental policy as a non-cooperative sequential game. In the first stage, the choice of regime, the principals in both countries simultaneously decide on whether an international permit market is formed. As countries are sovereign, an international permit market only forms if the principals in both countries consent to it. In the second stage, the principals simultaneously select an agent out of the continuum of available agents. In stage three, these selected agents simultaneously decide on the number of emission allowances that are distributed to the representative domestic firms. In the final stage, emission permits are traded. The complete structure and timing of the game is summarized as follows:

1. Choice of Regime:

Principals in both countries simultaneously decide on whether the domestic permit markets are linked to an international market.

2. Strategic Delegation:

Principals in both countries simultaneously select an agent.

3. Emission Allowance Choices:

Selected agents in both countries simultaneously choose the number of emission permits issued to the domestic firms.

#### 4. Permit Trade:

Depending on the regime established in the first stage, emission permits are traded on perfectly competitive national or international permit markets.

In essence, we analyze a standard non-cooperative international permit market as in Helm (2003), which we amend by a strategic delegation stage. We argue that this model, despite being highly stylized, captures essential characteristics of the hierarchical structure of domestic and international environmental policy. As we discuss in more detail in Section 6, the structure of the model is compatible with various delegation mechanisms present in modern democratic societies. For example, the principal may be the median voter of the electorate and the agent represents the elected government. Alternatively, the principal could be the parliament of a representative democracy which delegates a decision to an agent, for example, to the minister of the environment.

We solve the game by backward induction. Therefore, we first determine the equilibrium numbers of emission permits for the two different regimes which depend on the preferences of the selected agents in both countries. Second, we determine the preferences of the agents which the principals select. Finally, we analyze whether the principals in both countries consent to the formation of an international permit market.

### 3 Permit market equilibrium and delegated emissions permit choice

In the last stage and in case of domestic emission permit markets, the market clearing condition implies that  $\omega_i = e_i$  for both countries  $i = 1, 2$ . Profit maximization of the representative firm leads to an equalization of marginal benefits with the equilibrium permit price:

$$p_i(\omega_i) = B'_i(e_i) , \quad i = 1, 2 . \quad (4)$$

In case of an international permit market, there is only one permit market price implying that in equilibrium the marginal benefits of all participating countries are equalized:

$$p(E) = B'_1(e_1(E)) = B'_2(e_2(E)) . \quad (5)$$

In addition, the market clearing condition

$$\omega_1 + \omega_2 = B_1'^{-1}(p(E)) + B_2'^{-1}(p(E)) = e_1(E) + e_2(E) = E , \quad (6)$$

implicitly determines the permit price  $p(E)$  in the market equilibrium as a function of the total number of issued emission allowances  $E$ . Existence and uniqueness follow directly from the assumed properties of the benefit functions  $B_i$ . From equation (5) and  $e_i(E) = B_i'^{-1}(p(E))$  follows:

$$p'(E) = \frac{B_i''(e_i(E))B_{-i}''(e_{-i}(E))}{B_i''(e_i(E)) + B_{-i}''(e_{-i}(E))} < 0, \quad e_i'(E) = \frac{B_{-i}''(e_{-i}(E))}{B_i''(e_i(E)) + B_{-i}''(e_{-i}(E))} \in (0, 1). \quad (7)$$

For the remainder of the paper, we impose on the benefit functions  $B_i$ :

**Assumption 1 (Sufficient conditions for SOCs to hold: part I)**

*The benefit functions of both countries are almost quadratic:  $B_i'''(e_i) \approx 0$ ,  $i = 1, 2$ .*

By almost quadratic, we mean that  $B_i'''(e_i)$  is so small that it is irrelevant for determining the sign of all expressions in which it appears. Note that  $B_i'''(e_i) \approx 0$  for  $i = 1, 2$  also implies that  $p''(E) \approx 0$ . These assumptions are sufficient (but not necessary) conditions for the second-order conditions in stage three of the game to hold.

**3.1 Delegated permit choice under domestic permit market**

We first assume that no international permit market has been formed in the first stage of the game. Then, the selected agent of country  $i$  sets the level of emission permits  $\omega_i$  such as to maximize

$$W_i^D = B_i(\omega_i) - \theta_i D_i(E), \quad (8)$$

subject to equation (4) and given the permit choice  $\omega_{-i}$  of the other country. Then, the reaction function of the selected agent  $i$  is implicitly given by

$$B_i'(\omega_i) - \theta_i D_i'(E) = 0, \quad (9)$$

implying that the selected agent in country  $i$  trades off the marginal benefits of issuing more permits against the corresponding environmental damage costs. The following proposition holds:

**Proposition 1 (Unique Nash equilibrium on domestic permit markets)**

*For any given vector  $\Theta = (\theta_1, \theta_2)$  of preferences of the selected agents under domestic permit markets, there exists a unique subgame perfect Nash equilibrium of the subgame starting in stage three in which all countries  $i = 1, 2$  simultaneously set emission permit levels  $\omega_i$  such as to maximize (8) subject to (4) and for a given permit level  $\omega_{-i}$  of the other country.*



The proofs of all propositions and corollaries are relegated to the Appendix.

We denote the subgame perfect Nash equilibrium of the subgame starting in stage three by  $\Omega^D(\Theta) = (\omega_1^D(\Theta), \omega_2^D(\Theta))$  and the total emission level of this equilibrium by  $E^D(\Theta)$ . For later use, we analyze how the equilibrium emission levels change by a marginal change in the preferences of the selected agent in country  $i$ .

**Corollary 1 (Comparative statics on domestic permit markets)**

*The following conditions hold for the levels of national emissions  $\omega_i^D$ ,  $\omega_{-i}^D$  and total emissions  $E^D$  in the Nash equilibrium  $\Omega^D(\Theta)$ :*

$$\frac{d\omega_i^D(\Theta)}{d\theta_i} < 0, \quad \frac{d\omega_{-i}^D(\Theta)}{d\theta_i} \geq 0, \quad \frac{dE^D(\Theta)}{d\theta_i} < 0. \quad (10)$$

Corollary 1 states that domestic emission levels  $\omega_i^D$  of country  $i$  and also global emissions  $E^D$  are lower in equilibrium the higher is the preference parameter  $\theta_i$ , i.e. the more country  $i$ 's selected agent cares for the environment. Moreover, emission levels are strategic substitutes. If country  $i$  decreases emission levels in response to a change in the preference parameter  $\theta_i$ , then country  $-i$  increases its emissions and vice versa. This does not hold for linear damages in which case emission choices are dominant strategies and thus  $d\omega_{-i}^D(\Theta)/d\theta_i = 0$ . In any case, the direct effect outweighs the indirect effect and total emissions  $E^D$  follow the domestic emission level  $\omega_i^D$  in equilibrium.

**3.2 Delegated permit choice under international permit market**

If an international permit market is formed in the first stage, country  $i$ 's selected agent chooses  $\omega_i$  such as to maximize

$$W_i^I = B_i(e_i(E)) + p(E) [\omega_i - e_i(E)] - \theta_i D_i(E), \quad (11)$$

subject to equations (5), (6) and given  $\omega_{-i}$ . Taking into account that  $p(E) = B'_i(e_i(E))$ , the reaction function of the agent in country  $i$  is given by

$$p(E) + p'(E) [\omega_i - e_i(E)] - \theta_i D'_i(E) = 0. \quad (12)$$

By summing up the reaction functions for both countries, the equilibrium permit price is equal to the average marginal environmental damage costs of the selected agents:

$$p(E) = \frac{1}{2} [\theta_i D'_i(E) + \theta_{-i} D'_{-i}(E)]. \quad (13)$$

Inserting equation (13) back into the reaction function (12) reveals that in equilibrium the country whose agent exhibits above average marginal damages is the permit buyer, whereas the country whose agent's marginal damage is below average is the permit seller. Again, there exists a unique subgame perfect Nash equilibrium of the subgame starting at stage three:

**Proposition 2 (Unique Nash equilibrium on international permit markets)**

*For any given vector  $\Theta = (\theta_1, \theta_2)$  of preferences of the selected agents under an international permit market, there exists a unique subgame perfect Nash equilibrium of the subgame starting at stage three in which both countries simultaneously set the levels of emission permits  $\omega_i$  such as to maximize (11) subject to equations (5), (6) and taking the permit level  $\omega_{-i}$  of the other country as given.*

Denoting the Nash equilibrium by  $\Omega^I(\Theta) = (\omega_1^I(\Theta), \omega_2^I(\Theta))$  and the total equilibrium emissions by  $E^I(\Theta)$ , we analyze the influence of the selected agents' preferences on the equilibrium permit choices:

**Corollary 2 (Comparative statics on international permit markets)**

*The following conditions hold for the levels of emission allowances  $\omega_i^I$ ,  $\omega_{-i}^I$  and total emissions  $E^I$  in the Nash equilibrium  $\Omega^I(\Theta)$ :*

$$\frac{d\omega_i^I(\Theta)}{d\theta_i} < 0, \quad \frac{d\omega_{-i}^I(\Theta)}{d\theta_i} > 0, \quad \frac{dE^I(\Theta)}{d\theta_i} < 0. \quad (14)$$

As before, an increase in  $\theta_i$  decreases the equilibrium permit level  $\omega_i^I$  and overall emissions, but increases the equilibrium allowance choice  $\omega_{-i}^I$  of the other country. In case of an international permit market, domestic emissions are not equal to the domestic allowance choices. In fact, equilibrium emissions decrease in both countries if  $\theta_i$  increases in one of the countries, as a reduction in total emission permits increases the equilibrium permit price.

## 4 Strategic delegation

We now turn to the selection of agents by the principals in the second stage of the game. As all agents living in country  $i$  are potential candidates to be selected, the principals can always find a delegate for preference parameters in the interval  $\theta_i \in [0, \theta_i^{\max}]$ . We shall see that principals will select agents who have (weakly) less concern for the environment than they have themselves, i.e. they wish to select agents with  $\theta_i \leq 1$ . Thus, the assumption  $\theta_i^{\max} > 1$  makes sure that principals can always appoint their preferred agent. In addition, we impose:

**Assumption 2 (Sufficient conditions for SOCs to hold: part II)**

The damage functions of both countries are almost quadratic:  $D_i'''(e_i) \approx 0$ ,  $i = 1, 2$ .

Together with Assumption 1, this assumption ensures that the utility  $V_i$  of the principals in both countries is strictly concave under both permit market regimes  $R \in \{D, I\}$ , as we shall show in the proofs of Propositions 3 and 4.

**4.1 Strategic delegation under domestic permit markets**

First, assume a domestic permit markets regime. Then, the principal in country  $i$  selects an agent with preferences  $\theta_i$  such that

$$V_i^D = B_i(\omega_i^D(\Theta)) - D_i(E^D(\Theta)) , \quad (15)$$

is maximized given the Nash equilibrium  $\Omega^D(\Theta)$  of the subgame starting in the third stage and the preferences  $\theta_{-i}$  of the selected agent in the other country. We derive the following first-order condition:

$$B_i'(\omega_i^D(\Theta)) \frac{d\omega_i^D(\Theta)}{d\theta_i} - D_i'(E^D(\Theta)) \frac{dE^D(\Theta)}{d\theta_i} = 0 , \quad (16)$$

which implicitly determines the best-response function  $\theta_i^D(\theta_{-i})$ . Taking into account the equilibrium outcome of the third stage, in particular equation (9), we can re-write the first-order condition to yield:

$$(1 - \theta_i) D_i'(E^D(\Theta)) \frac{dE^D(\Theta)}{d\theta_i} = -B_i'(\omega_{-i}^D(\Theta)) \frac{d\omega_{-i}^D(\Theta)}{d\theta_i} . \quad (17)$$

It states that in equilibrium the marginal costs of strategic delegation have to equal its benefits. The costs of choosing an agent with lower environmental preferences (left-hand-side) are given by the additional (compared to  $\theta_i = 1$ ) marginal damage caused by the increase in total emissions. The benefits of strategic delegation (right-hand side) depend on how much of the abatement effort can be turned over to the other country due to the strategic substitutability of emission permit choices. In particular, there is no incentive for strategic delegation if emission permit choices are dominant strategies, i.e.  $d\omega_{-i}^D(\Theta)/d\theta_i = 0$ .

The subgame starting in stage two exhibits a unique subgame perfect Nash equilibrium:

**Proposition 3 (Unique Nash equilibrium under domestic permit markets)**

Given a domestic permit markets regime, there exists a unique subgame perfect Nash equilibrium of the subgame starting at stage two in which the principals of both countries  $i = 1, 2$

simultaneously select agents with preferences  $\theta_i$  such as to maximize (15) subject to  $\Omega^D(\Theta)$  and given the choice  $\theta_{-i}$  of the principal in country  $-i$ .

The following corollary characterizes this equilibrium, the outcome of which we denote by  $\Theta^D = (\theta_1^D, \theta_2^D)$ :

**Corollary 3 (Properties of the NE under domestic permit markets)**

For the equilibrium  $\Theta^D$  the following conditions hold:

1. For both countries  $0 < \theta_i^D \leq 1$  holds.
2. Self-representation ( $\theta_i^D = 1$ ) is an equilibrium strategy if and only if the permit choice at stage three is a dominant strategy ( $d\omega_{-i}(\Theta)/d\theta_i = 0$ ).

Corollary 3 states that the principals in both countries solve the trade-off mentioned above by delegating the choice of emission permits to agents who are (weakly) less green ( $\theta_i^D \leq 1$ ) than they are themselves.<sup>5</sup> The intuition for this result is that emission permit choices in stage three of the game are – for strictly convex damages – strategic substitutes. By increasing the level of domestic emission permits, the other country can be induced to reduce its issuance of permits. Thus, abatement costs can be partly shifted to the other country. For linear damages, this shifting of the burden of abatement to the other country is not possible since the permit choices in the third stage are dominant strategies. As a consequence, self-representation will prevail in equilibrium.

More generally, delegating the emission allowance choice to an agent with less green preferences is a commitment device for principals to signal a high issuance of emission allowances (and thereby, ceteris paribus, inducing a smaller issuance of emission allowances by the other country). The signal is credible, as agents choose an emission permit level which is in their own best interest, but is inefficiently low from the principals' point of view.<sup>6</sup>

**4.2 Strategic delegation under an international permit market**

Now assume an international permit market regime. Then, the principal in country  $i$  selects an agent with preferences  $\theta_i$  such as to maximize

$$V_i^I = B_i(e_i(E^I(\Theta))) + p(E^I(\Theta)) [\omega_i^I(\Theta) - e_i(E^I(\Theta))] - D_i(E^I(\Theta)) , \tag{18}$$

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<sup>5</sup> This result is in line with the findings of Segendorff (1998), Siqueira (2003) and Buchholz et al. (2005).

<sup>6</sup> On delegation and commitment see also Perino (2010).

given the Nash equilibrium  $\Omega^I(\Theta)$  of the subgame starting in the third stage and the preferences  $\theta_{-i}$  of the selected agent in the other country. Now, the first-order condition reads

$$p(E^I(\Theta)) \frac{d\omega_i^I(\Theta)}{d\theta_i} + \left\{ p'(E^I(\Theta)) [\omega_i^I(\Theta) - e_i(E^I(\Theta))] - D'_i(E^I(\Theta)) \right\} \frac{dE^I(\Theta)}{d\theta_i} = 0, \quad (19)$$

which implicitly defines the best-response function  $\theta_i^I(\theta_{-i})$ . Compared to the case of domestic permit markets, an additional term enters the principals' trade-off due to the terms of trade on the international permit market. Again, we can re-write the first-order condition by taking into account the equilibrium in the third stage, in particular equation (12):

$$(1 - \theta_i) D'_i(E^I(\Theta)) \frac{dE^I(\Theta)}{d\theta_i} = -p(E^I(\Theta)) \frac{d\omega_{-i}^I(\Theta)}{d\theta_i}. \quad (20)$$

Similarly to equation (17), this equation says that in equilibrium the marginal costs of strategic delegation have to equal its marginal benefits. The only difference is that marginal abatement costs are now equal across countries and given by the uniform permit price  $p$ .

There exists a subgame perfect Nash equilibrium of the subgame starting at stage two:

**Proposition 4 (Nash equilibrium under international permit market)**

*Given an international permit market regime, there exists a subgame perfect Nash equilibrium of the subgame starting at stage two in which the principals of both countries  $i = 1, 2$  simultaneously select agents with preferences  $\theta_i$  such as to maximize (18) subject to  $\Omega^I(\Theta)$  and given the choice  $\theta_{-i}$  of the principal in country  $-i$ .*

*A unique interior Nash equilibrium exists if and only if the following condition holds:*

$$\begin{aligned} & \frac{(B''_i(\cdot))^2 B''_{-i}(\cdot) [3B''_{-i}(\cdot) + 2B''_i(\cdot)] - 2D''_i(E) [B''_i(\cdot) + B''_{-i}(\cdot)]^3}{B''_i(\cdot) B''_{-i}(\cdot) [3B''_{-i}(\cdot) + 2B''_i(\cdot)]^2} < \frac{D'_{-i}(E^I(\Theta^I))}{D'_i(E^I(\Theta^I))} \\ & < \frac{B''_i(\cdot) B''_{-i}(\cdot) [3B''_i(\cdot) + 2B''_{-i}(\cdot)]^2}{B''_{-i}(\cdot) (B''_{-i}(\cdot))^2 [3B''_i(\cdot) + 2B''_{-i}(\cdot)] - 2D''_{-i}(E^I(\Theta^I)) [B''_i(\cdot) + B''_{-i}(\cdot)]^3}. \end{aligned} \quad (21)$$

In contrast to Propositions 1–3, even Assumptions 1 and 2 do not guarantee a unique subgame perfect Nash equilibrium. However, as we shall see in the numerical exercise in Section 5, the game has a unique (though not necessarily interior) Nash equilibrium for empirically relevant parameter constellations.

Denoting the vector of Nash equilibria  $\vec{\Theta}^I$  where  $\Theta^I = (\theta_1^I, \theta_2^I)$ , the following corollary characterizes the properties of each of its elements:

**Corollary 4 (Properties of NE under international permit market)**

For any Nash equilibrium  $\Theta^I$  the following conditions hold:

1. For both countries  $\theta_i^I < 1$  holds.
2. The Nash equilibrium  $\Theta^I$  may be a corner solution, i.e.  $\theta_i^I = 0$ ,  $\theta_{-i}^I = \theta_{-i}^I(0)$ .
3. The reaction function of the principal in the permit-selling country  $i$  lies strictly below the reaction function of the principal of the permit-buying country  $-i$  if  $|B_i''(\cdot)| < |B_{-i}''(\cdot)|$ .

Corollary 4 implies that in case of an international permit market, self-representation ( $\theta_i^I = 1$ ) can never be an equilibrium strategy, even for constant marginal damages, since the interaction through the permit market ensures that permit choices in stage three of the game are strategic substitutes. In other words, the principals in both countries try to shift the burden of emissions abatement to the other country by delegating the choice of emission permits to agents who value environmental damages strictly less than they do themselves ( $\theta_i^I < 1$ ). However, under an international permit market regime the incentive for strategic delegation may be so strong for one country that the principal would like to empower an agent with a negative preference parameter  $\theta_i$ , which would imply that the agent perceives environmental damages as a benefit. As the distribution of preference parameters among the agents has a lower bound at zero, the best the principal can do under these circumstances is to select an agent who does not care about the environmental damage.

The last part of Corollary 4 states that the principal of the permit-selling country, i.e. the one exhibiting the relatively lower  $\theta_i D_i'(E^I(\Theta^I))$  compared to the other country, has a higher incentive for strategic delegation than the principal in the permit-buying country if the permit-selling country also has the lower carbon efficiency, respectively abatement costs, measured by  $|B_i''(\cdot)|$ . We will see in the numerical illustration in Section 5, the latter condition is not restrictive, as (at least under self-representation) the formation of an international permit market is most likely to be mutually beneficial if we match a country with high environmental damages (and, therefore, the permit-buying country) and high energy efficiency with a country with low environmental damages (and, therefore, the permit-selling country) and low energy efficiency.

**4.3 Comparison of delegation choices under the two regimes**

Comparing the principals' incentives to delegate to less green agents under the two regimes, we can show that these are – under rather weak conditions – stronger in the international permit market regime than in a regime of domestic permit markets, as the following proposition states.

**Proposition 5 (Comparison of delegation incentives)**

For the reaction function of the principal of country  $i$   $\theta_i^I(\theta_{-i}) < \theta_i^D(\theta_{-i}) \leq 1$  holds for any  $0 \leq \theta_{-i} \leq 1$  if the following condition holds:

$$\frac{D'_{-i}(E)}{D'_i(E)} > - \left[ 1 + \frac{D''_{-i}(E) [(B''_i(\cdot))^2 - (B''_{-i}(\cdot))^2]}{B''_i(\cdot)(B''_{-i}(\cdot))^2} \right]. \quad (22)$$

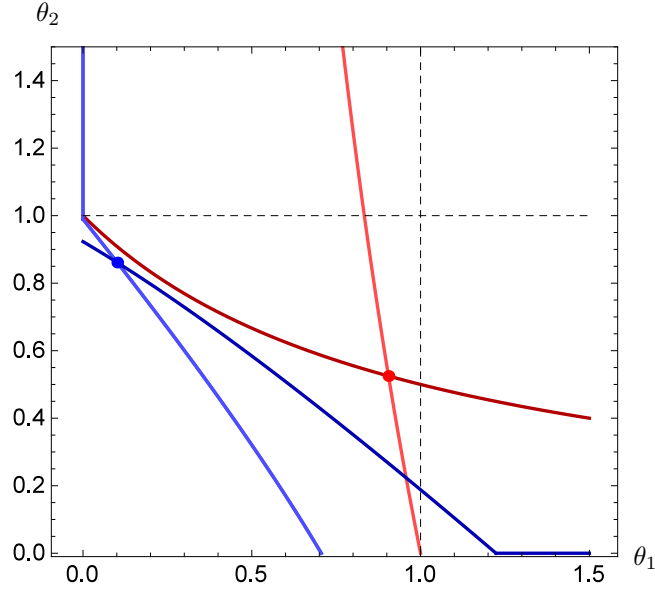
Proposition 5 implies that whenever  $B''_i(\cdot)$  and  $B''_{-i}(\cdot)$  are sufficiently close, the principals of both countries will – for any given choice of the other principal – select an agent under the international permit market regime that is less green compared to the choice under domestic permit markets. The intuition for this result is best understood by the following thought experiment. Assume that both countries are perfectly symmetric with respect to all exogenously given parameters and that damages are strictly convex. This implies that without strategic delegation, i.e.  $\theta_i = 1$ , the allowance choices would be the same under both regimes. In particular, under an international permit market regime both countries would issue emission permits in the number of domestic emissions and no permit trade would occur.

Now consider the Nash equilibrium  $\Theta^D$  for this situation. Obviously it would also be symmetric, but as  $\theta_i^D < 1$  the emission permit levels in both countries are higher than in the case of self-representation. To see that  $\Theta^D$  cannot be an equilibrium under an international permit market regime, recall that the country whose agent exhibits the smaller marginal environmental damages  $\theta_i D'_i(E^I(\Theta^I))$  is the seller of permits. Starting from the symmetric equilibrium of the domestic permit market regime the principals in both countries have an incentive to drive down  $\theta_i$  in order to become the seller of emission permits and cash in the resulting revenues. Ultimately this race to the bottom leads again to a symmetric equilibrium, where both countries are neither buyers nor sellers, but overall emissions are higher, i.e.  $E^I > E^D$ .

Yet, even if the reaction functions of both principals shift inwards under  $R = I$  compared to  $R = D$  for sufficiently similar curvatures of the benefit functions, i.e.  $\theta_i^I(\theta_{-i}) < \theta_i^D(\theta_{-i})$  for all  $i$ , this does *not* imply that both countries will also delegate to a less green agent in *equilibrium*. The point of intersection of the two reaction functions under  $R = I$  could still lie to the upper left or lower right of the respective point under  $R = D$  (or be a corner solution). This is illustrated in Figure 1.<sup>7</sup> In this example, both countries exhibit identical damage functions, but for any given level of domestic emissions, the marginal benefits from emissions are higher and decrease stronger in country 2 (i.e.  $B'_2(\bar{e}) > B'_1(\bar{e})$  and  $|B''_2(\bar{e})| > |B''_1(\bar{e})|$ ). Thus, country 2 has a higher carbon efficiency, respectively higher abatement costs

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<sup>7</sup> Details on all numerical illustrations are given in the Appendix.



**Figure 1:** Reaction functions for the delegation stage for the principals in country 1 (light) and country 2 (dark) under the regimes  $R = D$  (red) and  $R = I$  (blue).

of emissions. Under self-representation, both countries would produce emissions exactly equal to the number of permits they issue and, thus, no trade in permits would occur between the countries under an international permit market regime. In case of strategic delegation, the country with higher abatement costs (here country 2) has less incentive to abate under a domestic permit market regime and, therefore, chooses an agent with a lower preference parameter  $\theta_2$ . Under an international permit market regime the country whose marginal benefits decrease less strongly (here country 1), profits more from an increase in the total number of permits issued and, therefore, chooses an agent with a lower preference parameter  $\theta_1$ . Thus, even though both reaction functions under  $R = I$  lie strictly below those under  $R = D$ , the principal of country 2 chooses in equilibrium an agent under  $R = I$  that exhibits higher environmental awareness than her delegated agent under  $R = D$  and vice versa for country 1.

## 5 Formation of international emission permit markets

We now turn to the question which permit market regime  $R \in \{D, I\}$  will be established in the first stage of the game. To this end, we first examine under which circumstances the principals in both countries consent to the formation of an international permit market. Then, we discuss how strategic delegation induces less favorable circumstances for an



international emission permit market to form.

### 5.1 The choice of regime

Recall that an international permit market only forms in the first stage if the principals in both countries consent to it. Thus, an international permit market only forms if this is in the best interest of the principals in both countries. In considering their preferred regime choices, the principals in both countries anticipate the influence of the regime choice on the outcomes of the following stages. Thus, principals are aware that the regime choice  $R \in \{D, I\}$  in the first stage induces preference parameters for the selected agents given by  $\Theta^R$  and emission allowance choices of  $\Omega^R(\Theta^R)$ . As a consequence, the principal in country  $i$  prefers an international emission permit market if

$$\begin{aligned} \Delta V_i \equiv & B_i(e_i(E^I(\Theta^I))) - B_i(\omega_i^D(\Theta^D)) + p(E^I(\Theta^I))[\omega_i^I(\Theta^I) - e_i(E^I(\Theta^I))] \\ & - \theta_i^M [D_i(E^I(\Theta^I)) - D_i(E^D(\Theta^D))] > 0 , \end{aligned} \quad (23)$$

which denotes the utility difference of the principal in country  $i$  between the international and the domestic permit market regime given the subgame perfect Nash equilibria of the second and third stage of the game under the respective regime.

Then, an international permit market forms if and only if it is a Pareto improvement over domestic permit markets for the principals of both countries:<sup>8</sup>

$$\Delta V_i > 0 \quad \wedge \quad \Delta V_{-i} > 0 . \quad (24)$$

Helm (2003) shows that for the standard non-cooperative international permit market (in our notation this implies that  $\Theta^D = \Theta^I$  exogenously given) global emissions may be smaller or larger under an international permit market compared to a situation of domestic permit markets. In addition, it may happen that global emissions are smaller under an international emission permit market regime but at least one country does not consent to it. Finally, global emissions may be higher under an international permit market regime but both countries may nevertheless consent to linking domestic permit markets to an international market. These results also hold for our setting. Which of the different cases applies depends on the

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<sup>8</sup> We implicitly assume that country  $i$ 's principal only favors an international permit market over domestic permit markets if  $V_i$  is strictly positive. The intuition behind this tie-breaking rule is the assumption that domestic permit markets represent the status quo. If linking domestic permit markets to an international permit market induces some positive but small costs  $\epsilon$ , then  $\Delta V_i > \epsilon > 0$  has to hold for an international permit market to be favorable. However, this tie-breaking rule does not impact qualitatively on our results and any other tie-breaking rule is permissible.

set of exogenously given parameters, in particular on the distribution of benefits from local and damages from global emissions.

## 5.2 Strategic delegation and the formation of international permit markets

In the following, we show that strategic delegation may hinder the formation of an international permit market in the sense that under strategic delegation an international permit market may not be Pareto superior to domestic permit markets from the principals' point of view while it would have been without strategic delegation, i.e. if the principals in both countries had decided themselves on the issuance of emission permits.

### **Proposition 6 (International permit markets under strategic delegation)**

*Under strategic delegation, the formation of an international emission permits market may not be in the best interest of both principals, i.e.  $\Delta V_i \leq 0$  for at least one  $i = 1, 2$ , even if it would have been in the case of self-representation.*

We illustrate Proposition 6 with a numerical example (the details of which can be found in the Appendix). To this end, we choose parameter constellations such that one country (or country block) exhibits a *low* carbon efficiency (which is equivalent to low abatement costs) and a *low* willingness to pay (WTP) to prevent environmental damages, and the second country has a *high* carbon efficiency and a *high* WTP to prevent environmental damages. One can think of country one as a country in transition, while country two represents a developed country. This constellation is known to render the most favorable conditions for the formation of an international emission permits market (see Carbone et al. 2009) and for reductions in aggregate emissions compared to domestic permit markets. The example also demonstrates that we obtain unique (although not necessarily interior) Nash equilibria for plausible and empirically relevant parameter constellations.

We calibrate the example to China (country 1) and the European Union (country 2), using relative energy productivities taken from the OECD Green Growth Indicators database as a proxy for carbon efficiencies, and using relative WTPs based on the rough estimates provided in Carbone et al. (2009). The results are illustrated in Table 1. In the case of self-representation, an international permit market comes into existence as the principals of both the EU and China have higher payoffs under international than under domestic permit markets. Furthermore, China is the seller of emission permits which is in line with findings by Carbone et al. (2009). The EU, being the high-damage country block, benefits from both an overall decrease in total emissions and a decrease in marginal abatement costs.

In case of strategic delegation, the delegation incentives are rather mild under domestic permit markets, as can be seen in Figure 2 which depicts the reactions functions of the

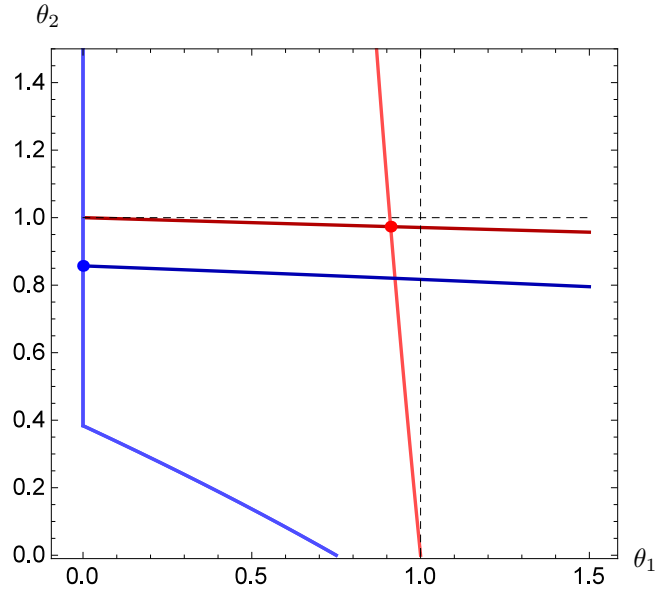
<i>Without strategic delegation</i>									
Regime	$\theta_1^R$	$\theta_2^R$	$\omega_1^R$	$\omega_2^R$	$e_1^R$	$e_2^R$	$E^R$	$V_1^R$	$V_2^R$
$R = D$	1	1	0.95	0.82			1.77	0.40	0.34
$R = I$	1	1	1.02	0.68	0.80	0.90	1.70	0.44	0.37
<i>With strategic delegation</i>									
Regime	$\theta_1^R$	$\theta_2^R$	$\omega_1^R$	$\omega_2^R$	$e_1^R$	$e_2^R$	$E^R$	$V_1^R$	$V_2^R$
$R = D$	0.91	0.97	0.95	0.83			1.78	0.40	0.34
$R = I$	0	0.86	1.08	0.70	0.85	0.93	1.78	0.43	0.33

**Table 1:** Overview of the outcomes in the subgame perfect Nash equilibria without and with strategic delegation for the numerical example detailed in the Appendix.

delegation stage for the principals in both countries. Total emissions under this regime rise only slightly compared to the case of self-representation. In the case of an international permit market, however, the delegation incentives for the permit-selling country are much stronger than for the permit-buying country, as stated in Corollary 4 and shown in Figure 2. The principal of country 1, i.e. China, even chooses a corner solution in equilibrium and delegates to an agent with environmental preferences at the lower bound of the distribution (zero). By doing so, the number of emission permits issued in China rises by approximately 5% compared to self-representation, whereas the EU increases the number of permits only slightly compared to self-representation. Overall emissions rise in both regimes under strategic delegation compared to self-representation, and, unsurprisingly, by relatively more in the case of an international permit market. While the principal of country 1 still prefers an international permit market regime, the principal of the other country would incur too high damages under this regime and is, thus, better off under domestic permit markets. In contrast to the case of self-representation, *no* international market will emerge.

Our sensitivity analyses, detailed in the Appendix, show that a variation of relative carbon efficiencies, holding relative WTPs fixed, yields qualitatively the same results. Increasing *ceteris paribus* China's WTP for environmental damages, however, makes an interior solution for the delegation choices under an international permits market more likely, i.e. delegation in this regime is less strong for China; and – for sufficiently close WTPs for both countries – a permit market will not be formed even without strategic delegation.

This example highlights that while the formation of an international permit market may be beneficial for all principals, this is less likely the case under strategic delegation. The reason is that the incentives to delegate to less green agents are usually much stronger under an international permit market compared to domestic permit markets. This commitment by the principals leads to higher aggregate emissions and makes the principal of the high-damage country (the EU) less inclined to consent to the formation of an international market.



**Figure 2:** Reaction functions for the principals in country 1 (China, light) and country 2 (EU, dark) under the regimes  $R = D$  (red) and  $R = I$  (blue) on the delegation stage.

## 6 Discussion

Our results rely on Assumptions 1 and 2 of almost quadratic benefit and environmental cost functions. At least with respect to climate change, the empirical literature finds that both abatement cost curves (which correspond to the benefits of not abating emissions), as well as damage cost curves can be well approximated by quadratic functions (e.g., Klepper and Peterson 2006, Tol 2002). In addition, Assumptions 1 and 2 are sufficient but not necessary conditions for our results to hold.

We analyze a particular environmental policy in our model: emission permit markets. However, our results do not hinge on the domestic policy being an emissions permit scheme, which we chose for analytical convenience. Our results would still hold if we considered domestic emission tax schemes instead. In addition, whether permits are grandfathered or auctioned is inconsequential in our model, as firm profits accrue to the individual agents in the respective countries. In the case of grandfathering, endowing firms with permits for free implies higher profits for the firms and, thus, higher income for the individual agents whereas in the case of auctioning, the revenues from the auction would directly accrue to the individual agents, for example, in the form of a lump-sum transfer.

We model a highly stylized four-stage principal-agent game. We argue that both the timing

of the game and the delegation procedure is compatible with different principal-agent relationships that arise in the hierarchical policy procedures of modern democracies. We want to illustrate this claim with two examples. First, assume that the principal is the median voter and the agent is an elected government.<sup>9</sup> Then the four-stage game translates into the following sequence of events. In stage one the median voter decides on the regime choice. While this may be unusual in representative democracies, this is rather the rule in direct democracies like Switzerland, where binary and one-shot decisions are often taken by the electorate via referendum. In the second stage, the median voter elects a government that decides on the number of allowances issued to the domestic firms in the third stage. Following this interpretation, we have a strategic voting game between the electorate and the elected government.

Second, assume that the principal is the parliament of a representative democracy and the agent is, for example, the minister of the environment. Now, the parliament decides on the regime choice in the first stage. In the second stage, the parliament elects the executive including the minister of the environment, who then decides on the number of emission allowances in the third stage. While it is rather unusual that the parliament, i.e. the legislative, elects the executive, this is, for example, the case in Germany.

The structure and the timing of our principal-agent game is consistent with real world hierarchical decision making procedures, but there is a more general interpretation to the principal-agent relationship in our game setting. Because of the strategic interaction on the international level, the principals in both countries have an incentive to signal to the other principal that they will choose a less green policy in order to free-ride on the abatement efforts of the other country. However, such a signal is only credible if the principals can commit themselves somehow to really pursue the signaled policy, as it is at odds with their own preferences. The strategic delegation framework in our model provides such a commitment device for the principal to signal a credible international policy to the principal of the other country. Yet, any other credible commitment device would result in a similar race to the bottom where principals in both countries would issue more emission allowances than if they could not commit credibly to such a policy. Thus our results are, at least qualitatively, robust beyond the particular principal-agent relationship in our model set-up.

Our explicit discussion of the hierarchical structure of international environmental policies may shed light on the puzzle why we have not seen the formation of non-cooperative international permit markets yet. The advantage of an international permit market, where indi-

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<sup>9</sup> For this interpretation, we require that  $\theta_i^M = 1$  is indeed the median in the preference distribution with respect to environmental damages. This can always be achieved by an appropriate normalization. In addition, it is straightforward to show that the voters can be ordered according to the preference parameter  $\theta_i^j$ , with  $\partial\omega_i/\partial\theta_i^j < 0$ . As a consequence, the median voter theorem applies.

vidual countries decide non-cooperatively on the permit issuance, over non-cooperative domestic environmental policies is the equalization of marginal benefits from emissions across all countries, which is a necessary condition for efficiency. However, from the principals' perspective the efficiency gains from equalizing marginal benefits across countries comes at the costs of a higher degree of strategic delegation, i.e. the incentive to delegate the emission permit choice to agents that have a lower valuation for the environment than they have themselves. As this incentive is likely to be stronger under an international compared to a domestic permit market regime, there is an additional trade-off favoring the domestic permit market regime that has been overlooked in the standard non-cooperative permit market setting.

Finally, we would like to discuss the relationship between this paper and Habla and Winkler (2013), where we analyze the influence of legislative lobbying on the formation of a non-cooperative international permit market. In Habla and Winkler (2013), we found that lobbying may backfire in the sense that if one lobby's influence increases in one country this may lead to a policy shift in the direction that is less favored by the lobby. For example, if the green lobby increases its influence in one country this may result in higher total emissions and, thus, higher environmental damages in both countries. The reason for this effect was that, while an increase in the green lobby group's influence in one country reduces the equilibrium emissions in both the domestic and the international permit market regimes, it may also induce a regime shift from the regime with lower towards the regime with higher total emissions. As discussed in Habla and Winkler (2013), this result does not only hold for legislative lobbying but for any changes in the preferences of the decision maker. In fact, it also carries over to a change in the preference parameter  $\theta_i^M$  of the principal in country  $i$  in the model set-up of this paper, as we show in the Appendix.

## 7 Conclusion

We have analyzed the non-cooperative formation of an international permit market in a hierarchical policy set-up, where a principal in each country chooses an agent that is in charge of the domestic emissions allowance choice. We find that principals in both countries choose agents that have less green preferences than they have themselves. As emission allowance choices are strategic substitutes, delegation allows the principals to credibly commit to a less green policy and, thus, shift – *ceteris paribus* – part of the abatement burden to the other country. However, due to the additional terms of trade effect this incentive is (usually) stronger in an international permit market regime compared to domestic permit markets, and particularly strong for the seller of permits. As a consequence, under strategic delega-

tion the formation of an international permit market is less likely a Pareto improvement for the principals than under conditions of self-representation.

While our results may explain why we have not observed the linking of international emission permits market yet, despite their seemingly favorable characteristics, they also constitute – in line with the findings of Roelfsema (2007) and Habla and Winkler (2013) – the more general warning that treating countries as atomistic agents in the international policy arena may be oversimplifying. As a consequence, the analysis of the nexus between domestic and international (environmental) policy seems to be a promising avenue for future research.

## Appendix

### Proof of Proposition 1

(i) Existence: The maximization problem of country  $i$ 's selected agent is strictly concave:

$$\text{SOC}_i^D \equiv B_i''(\omega_i) - \theta_i D_i''(E) < 0 . \quad (\text{A.1})$$

Thus, for all countries  $i = 1, 2$ , the reaction function yields a unique best response for any given choice  $\omega_{-i}$  of the other country. This guarantees the *existence* of a Nash equilibrium.

(ii) Uniqueness: Solving the best response functions (9) for  $e_i$  and summing up over both countries yields the following equation for the aggregate emissions  $E$ :<sup>10</sup>

$$E = B_i'^{-1}(\theta_i D_i'(E)) + B_{-i}'^{-1}(\theta_{-i} D_{-i}'(E)) . \quad (\text{A.2})$$

As the left-hand side is strictly increasing and the right-hand side is decreasing in  $E$ , there exists a unique level of total emissions  $E^D(\Theta)$  in the Nash equilibrium. Substituting back into the reaction functions yields the unique Nash equilibrium  $(\omega_1^D(\Theta), \omega_2^D(\Theta))$ .  $\square$

### Proof of Corollary 1

Introducing the abbreviation

$$\Gamma_i^D \equiv B_i''(\omega_i) \text{SOC}_{-i}^D - \theta_i D_i''(E) B_{-i}''(\omega_{-i}) > 0 , \quad (\text{A.3})$$

and applying the implicit function theorem to the first-order conditions (9) for both countries, we derive:

$$\frac{d\omega_i^D(\Theta)}{d\theta_i} = \frac{D_i'(E) \text{SOC}_{-i}^D}{\Gamma_i^D} < 0 , \quad (\text{A.4a})$$

$$\frac{d\omega_{-i}^D(\Theta)}{d\theta_i} = \frac{D_i'(E) \theta_{-i} D_{-i}''(E)}{\Gamma_i^D} \geq 0 , \quad (\text{A.4b})$$

$$\frac{dE^D(\Theta)}{d\theta_i} = \frac{D_i'(E) B_{-i}''(\omega_{-i})}{\Gamma_i^D} < 0 . \quad (\text{A.4c})$$

$\square$

### Proof of Proposition 2

(i) Existence: By virtue of Assumption 1 and as  $e_i'(E) \in (0, 1)$ , the maximization problem

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<sup>10</sup> As all marginal benefit functions  $B_i'$  are strictly and monotonically decreasing, the inverse functions  $B_i'^{-1}$  exist and are also strictly and monotonically decreasing.



of country  $i$ 's delegate is strictly concave:

$$\text{SOC}_i^I = p'(E)[2 - e'_i(E)] + p''(E)[\omega_i - e_i(E)] - \theta_i D_i''(E) < 0 . \quad (\text{A.5})$$

Thus, for all countries  $i = 1, 2$ , the reaction function yields a unique best response for any given choice  $\omega_{-i}$  of the other countries, which guarantees the *existence* of a Nash equilibrium.

(ii) Uniqueness: Summing up the reaction function (12) over both countries yields the following condition, which holds in the Nash equilibrium:

$$2p(E) = \theta_i D_i'(E) + \theta_{-i} D_{-i}'(E) . \quad (\text{A.6})$$

The left-hand side is strictly decreasing in  $E$ , while the right-hand side is increasing in  $E$ . Thus, there exists a unique level of total emission allowances  $E^I(\Theta)$  in the Nash equilibrium. Inserting  $E^I(\Theta)$  back into the reaction functions (12) yields the unique equilibrium allowance choices  $(\omega_i^I(\Theta), \omega_{-i}^I(\Theta))$ .  $\square$

### Proof of Corollary 2

Introducing the abbreviation

$$\Gamma^I = p'(E)[\text{SOC}_i^I + \text{SOC}_{-i}^I - p'(E)] > 0 , \quad (\text{A.7})$$

and applying the implicit function theorem to the first-order conditions (12) for both countries, we derive:

$$\frac{d\omega_i^I(\Theta)}{d\theta_i} = \frac{D_i'(E)\text{SOC}_{-i}^I}{\Gamma^I} < 0 , \quad (\text{A.8a})$$

$$\frac{d\omega_{-i}^I(\Theta)}{d\theta_i} = -\frac{D_i'(E)[\text{SOC}_{-i}^I - p'(E)]}{\Gamma^I} > 0 , \quad (\text{A.8b})$$

$$\frac{dE^I(\Theta)}{d\theta_i} = \frac{D_i'(E)p'(E)}{\Gamma^I} < 0 . \quad (\text{A.8c})$$

$\square$

### Proof of Proposition 3

(i) Existence: By virtue of Assumptions 1 and 2, the maximization problem of country  $i$ 's principal is strictly concave:

$$\begin{aligned} \text{SOC}_i^{P|D} &\equiv B_i''(\omega_i) \left( \frac{d\omega_i}{d\theta_i} \right)^2 + B_i'(\omega_i) \frac{d^2\omega_i}{d\theta_i^2} - \theta_i^M \left[ D_i''(E) \left( \frac{dE}{d\theta_i} \right)^2 + D_i'(E) \frac{d^2E}{d\theta_i^2} \right] \\ &= \frac{(D_i'(E))^2 \text{SOC}_{-i}^D}{(\Gamma_i^D)^2} \left[ B_i''(\omega_i) \text{SOC}_{-i}^D - \theta_i D_i''(E) B_{-i}''(\omega_{-i}) \right] < 0 . \end{aligned} \quad (\text{A.9})$$

Thus, for all countries  $i = 1, 2$ , the reaction function yields a unique best response for any given choice  $\theta_{-i}$  of the other country. This guarantees the *existence* of a Nash equilibrium.

(ii) Uniqueness: Solving (16) for the best response function, we derive

$$\theta_i^D(\theta_{-i}) \equiv \theta_i^M \frac{B''_{-i}(\omega_{-i})}{B''_{-i}(\omega_{-i}) - \theta_{-i} D''_{-i}(E)}. \quad (\text{A.10})$$

By virtue of Assumptions 1 and 2,  $B''_{-i}(\omega_i)$  and  $D''_{-i}(E)$  are (almost) constant. Then, the reaction functions can be shown to intersect (at most) once in the feasible range  $\Theta \in [0, \theta_i^M] \times [0, \theta_{-i}^M]$  by inserting the reaction functions into each other and solving for the equilibrium delegation choices.  $\square$

### Proof of Corollary 3

The first property follows directly from equation (A.10) since  $B''_{-i}(\omega_{-i}) \neq 0$ . For deriving the second property, solve equation (16) for the best response function as follows:

$$\theta_i^D(\theta_{-i}) = \theta_i^M + \frac{B'_i(\omega_i)}{D'_i(E)} \frac{d\omega_{-i}^D/d\theta_i}{dE^D/d\theta_i}. \quad (\text{A.11})$$

Therefore,  $\theta_i^D(\theta_{-i}) = \theta_i^M$  if and only if  $d\omega_{-i}^D/d\theta_i = 0$ , see equation (A.8a).  $\square$

### Proof of Proposition 4

(i) Existence: By virtue of Assumptions 1 and 2, the maximization problem of country  $i$ 's principal is strictly concave:

$$\text{SOC}_i^{P|I} \equiv \left( \frac{D'_i(E)p'(E)}{\Gamma^I} \right)^2 \left[ p'(E)(3 - e'_{-i}(E)) - \theta_{-i} D''_{-i}(E) - \theta_i^M D''_i(E) \right] < 0. \quad (\text{A.12})$$

Thus, for all countries  $i = 1, 2$ , the reaction function yields a unique best response for any given choice  $\theta_{-i}$  of the other country. This guarantees the *existence* of a Nash equilibrium.

(ii) Multiplicity of equilibria: Solving equations (19) for the best response functions of each principal, we can write (omitting the terms containing  $p''(E) \approx 0$  and suppressing the

arguments of the benefit functions):

$$\theta_i^I(\theta_{-i}) = \theta_i^M + \frac{p(E)}{D_i'(E)} \frac{\theta_{-i} D_{-i}''(E) - p'(E)[1 - e'_{-i}(E)]}{p'(E)}, \quad (\text{A.13a})$$

$$= \frac{2 + \frac{D_{-i}'(E)}{D_i'(E)} \theta_{-i} \left[ \theta_{-i} D_{-i}''(E) \frac{B_i''(\cdot) + B_{-i}''(\cdot)}{B_i''(\cdot) B_{-i}''(\cdot)} - \frac{B_{-i}''(\cdot)}{B_i''(\cdot) + B_{-i}''(\cdot)} \right]}{2 - \left[ \theta_{-i} D_{-i}''(E) \frac{B_i''(\cdot) + B_{-i}''(\cdot)}{B_i''(\cdot) B_{-i}''(\cdot)} - \frac{B_{-i}''(\cdot)}{B_i''(\cdot) + B_{-i}''(\cdot)} \right]}, \quad (\text{A.13b})$$

$$\theta_{-i}^I(\theta_i) = \frac{2 + \frac{D_i'(E)}{D_{-i}'(E)} \theta_i \left[ \theta_i D_i''(E) \frac{B_i''(\cdot) + B_{-i}''(\cdot)}{B_i''(\cdot) B_{-i}''(\cdot)} - \frac{B_i''(\cdot)}{B_i''(\cdot) + B_{-i}''(\cdot)} \right]}{2 - \left[ \theta_i D_i''(E) \frac{B_i''(\cdot) + B_{-i}''(\cdot)}{B_i''(\cdot) B_{-i}''(\cdot)} - \frac{B_i''(\cdot)}{B_i''(\cdot) + B_{-i}''(\cdot)} \right]}, \quad (\text{A.13c})$$

where we made use of equations (5), (7) and (13).

As all terms in (A.13b) and (A.13c) besides the delegation choice variables are – by virtue of Assumptions 1 and 2 – almost constant, we define:

$$\alpha \equiv \frac{D_{-i}'(E)}{D_i'(E)} > 0, \quad \beta \equiv \frac{B_{-i}''(\cdot)}{B_i''(\cdot) + B_{-i}''(\cdot)} > 0 \quad \gamma_i \equiv -\frac{D_i''(E)}{B_i''(\cdot)} > 0.$$

Applying these definitions to equations (A.13b) and (A.13c), we can express the reaction functions as follows:

$$\theta_i^I(\theta_{-i}) = \frac{2(1 - \beta) - \alpha \theta_{-i} [\gamma_{-i} \theta_{-i} + \beta(1 - \beta)]}{2(1 - \beta) + [\gamma_{-i} \theta_{-i} + \beta(1 - \beta)]}, \quad (\text{A.14a})$$

$$\theta_{-i}^I(\theta_i) = \frac{2\alpha\beta - \theta_i [\gamma_i \theta_i + \beta(1 - \beta)]}{\alpha [2\beta + \gamma_i \theta_i + \beta(1 - \beta)]}. \quad (\text{A.14b})$$

Using these equations, it is straightforward to show:

$$\frac{d\theta_i^I(\theta_{-i})}{d\theta_{-i}} < 0, \quad \frac{d\theta_{-i}^I(\theta_i)}{d\theta_i} < 0, \quad (\text{A.15})$$

$$\frac{d^2\theta_i^I(\theta_{-i})}{d\theta_{-i}^2} \leq 0, \quad \frac{d^2\theta_{-i}^I(\theta_i)}{d\theta_i^2} \leq 0. \quad (\text{A.16})$$

Both reaction functions are thus downward-sloping but either can be concave or convex which implies that multiple equilibria may arise. Before characterizing the possible equilib-

ria, we calculate:<sup>11</sup>

$$\theta_i(0) = \frac{2}{2+\beta} < 1, \quad \theta_i^0 = \frac{1}{2\gamma_i} \left[ \sqrt{\beta^2(1-\beta)^2 + 8\alpha\beta\gamma_i} - \beta(1-\beta) \right], \quad (\text{A.17})$$

$$\theta_{-i}(0) = \frac{2}{3-\beta} < 1, \quad \theta_{-i}^0 = \frac{1}{2\alpha\gamma_{-i}} \left[ \sqrt{\alpha^2\beta^2(1-\beta)^2 + 8\alpha(1-\beta)\gamma_{-i}} - \alpha\beta(1-\beta) \right], \quad (\text{A.18})$$

where  $\theta_{-i}(\theta_i^0) = 0$  and  $\theta_i(\theta_{-i}^0) = 0$ . If both reaction functions are strictly concave, we can have the following four cases, as illustrated by the four diagrams of Figure 3 (the same reasoning applies to strictly convex functions or a combination of both):

i) Unique interior Nash equilibrium if and only if:

$$\theta_i(0) < \theta_i^0 \quad \wedge \quad \theta_{-i}(0) < \theta_{-i}^0. \quad (\text{A.19})$$

ii) Two corner Nash equilibria and at most two interior Nash equilibria (or a continuum of Nash equilibria if the two reactions functions overlap) if and only if:

$$\theta_i(0) \geq \theta_i^0 \quad \wedge \quad \theta_{-i}(0) \geq \theta_{-i}^0. \quad (\text{A.20})$$

iii) One corner Nash equilibrium and at most two interior Nash equilibria if and only if:

$$\theta_i(0) < \theta_i^0 \quad \wedge \quad \theta_{-i}(0) > \theta_{-i}^0. \quad (\text{A.21})$$

iv) One corner Nash equilibrium and at most two interior Nash equilibria if and only if:

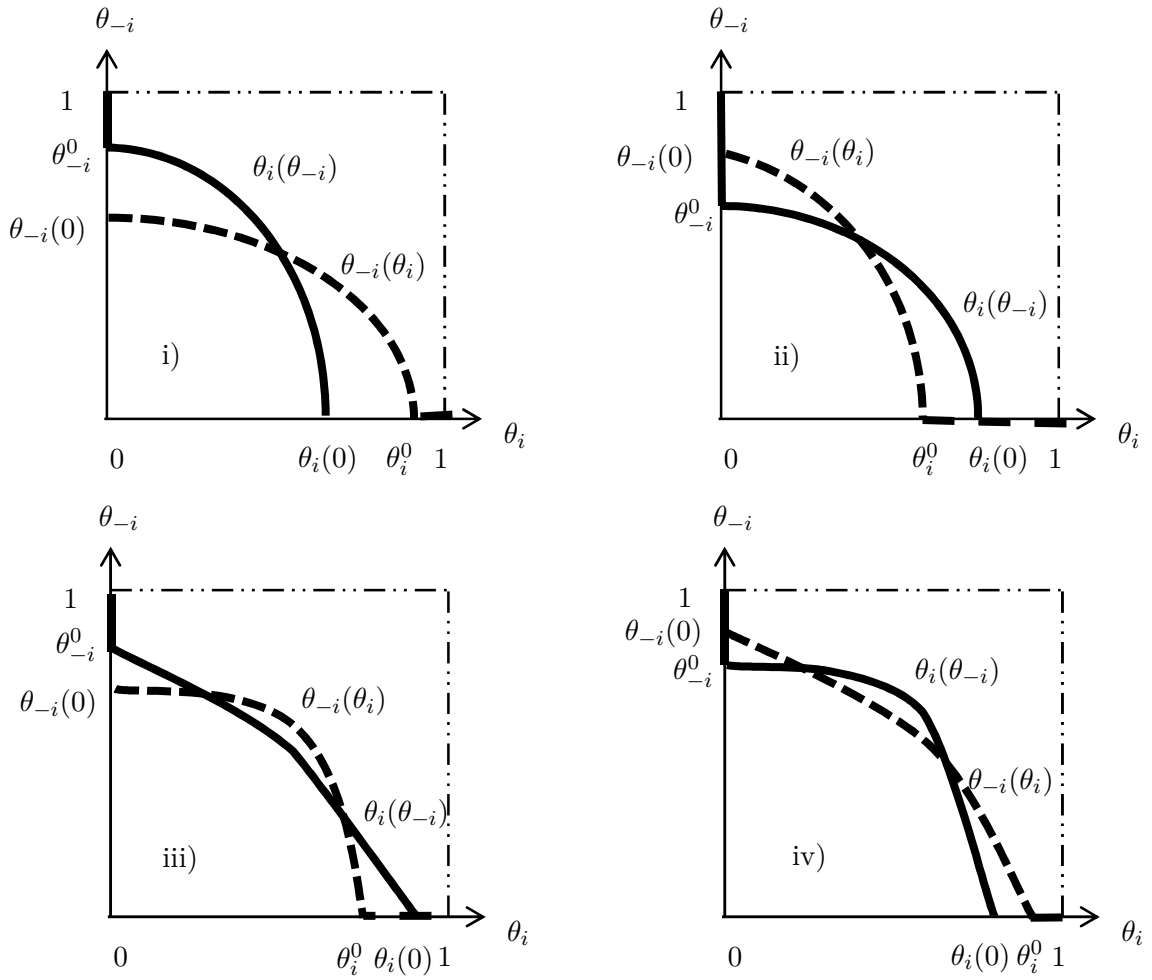
$$\theta_i(0) > \theta_i^0 \quad \wedge \quad \theta_{-i}(0) < \theta_{-i}^0. \quad (\text{A.22})$$

Equation (21) follows immediately from conditions (A.19).

□

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<sup>11</sup> For expositional convenience we drop the superscript  $I$ .



**Figure 3:** Possible Nash equilibria of the delegation stage with concave reaction functions.

### Proof of Corollary 4

The second term in equation (A.13a) is negative which is why we have  $\theta_i^I < 1$ , and it may also be smaller than  $-1$  in which case we get a corner solution.

To show statement (iii) we re-write the first-order conditions to yield:

$$\theta_i = 1 + \left[ 1 - \frac{p'(E)(\omega_i - e_i(E))}{D'_i(E)} \right] \frac{\partial \omega_{-i} / \partial \theta_i}{\partial \omega_i / \partial \theta_i}. \quad (\text{A.23})$$

We further assume that country  $i$  is the seller of permits, i.e.  $\omega_i - e_i(E) > 0$ . Define

$$\Delta = -p'(E)(\omega_i - e_i(E)) = \frac{1}{2} [\theta_{-i} D'_{-i}(E) - \theta_i D'_i(E)] > 0. \quad (\text{A.24})$$

Thus, we have to show that

$$\left[ 1 + \frac{\Delta}{D'_i(E)} \right] \frac{\partial \omega_{-i} / \partial \theta_i}{\partial \omega_i / \partial \theta_i} < \left[ 1 + \frac{\Delta}{D'_{-i}(E)} \right] \frac{\partial \omega_i / \partial \theta_{-i}}{\partial \omega_{-i} / \partial \theta_{-i}}. \quad (\text{A.25})$$

Inserting and re-arranging yields:

$$\begin{aligned} & SOC_i^I SOC_{-i}^I \left[ \frac{\Delta}{D'_i(E)} + \frac{\Delta}{D'_{-i}(E)} \right] - p'(E) \left[ SOC_i^I \frac{\Delta}{D'_i(E)} + SOC_{-i}^I \frac{\Delta}{D'_{-i}(E)} \right] \\ & - p'(E) [SOC_i^I - SOC_{-i}^I] > 0. \end{aligned} \quad (\text{A.26})$$

The first two terms are always positive and the third is positive if  $SOC_i^I - SOC_{-i}^I > 0$ . As

$$SOC_i^I - SOC_{-i}^I = 2 \frac{\Delta}{E} - p'(E)[e'_i(E) - e'_{-i}(E)], \quad (\text{A.27})$$

a sufficient condition for  $SOC_i^I - SOC_{-i}^I > 0$  to hold is that  $e'_i > e'_{-i}$ , which, in turn, holds if  $|B''_i(\cdot)| < |B''_{-i}(\cdot)|$ .

□

### Proof of Proposition 5

We can re-write the reaction functions (A.10) and (A.13b) (again omitting the terms containing  $p''(E) \approx 0$  and suppressing the arguments of the benefit functions) to yield:

$$\theta_i^D(\theta_{-i}) = \theta_i^M + \frac{D''_{-i}(E)\theta_{-i}}{B''_{-i}(\omega_{-i}) - D''_{-i}(E)\theta_{-i}}, \quad (\text{A.28a})$$

$$\theta_i^I(\theta_{-i}) = \theta_i^M + \frac{\left[ 1 + \frac{D'_{-i}(E)}{D'_i(E)} \theta_{-i} \right] \left[ \theta_{-i} \frac{D''_{-i}(E)}{B''_{-i}(\cdot)} \frac{B''_i(\cdot) + B''_{-i}(\cdot)}{B''_i(\cdot)} - \frac{B''_{-i}(\cdot)}{B''_i(\cdot) + B''_{-i}(\cdot)} \right]}{2 - \theta_{-i} \frac{D''_{-i}(E)}{B''_{-i}(\cdot)} \frac{B''_i(\cdot) + B''_{-i}(\cdot)}{B''_i(\cdot)} + \frac{B''_{-i}(\cdot)}{B''_i(\cdot) + B''_{-i}(\cdot)}}, \quad (\text{A.28b})$$

where we made use of equations (5), (7), (9) and (13).

Applying the definitions introduced in the proof of Proposition 4 to equations (A.13b) and (A.28a), we obtain:

$$\theta_i^D(\theta_{-i}) = 1 - \frac{\gamma_{-i}\theta_{-i}}{1 + \gamma_{-i}\theta_{-i}}, \quad (\text{A.29a})$$

$$\theta_i^I(\theta_{-i}) = 1 - \frac{(1 + \alpha\theta_{-i})[\gamma_{-i}\theta_{-i} + \beta(1 - \beta)]}{2(1 - \beta) + [\gamma_{-i}\theta_{-i} + \beta(1 - \beta)]}. \quad (\text{A.29b})$$

Then, delegation choices of country  $i$  under domestic permit markets are – for any given  $\theta_{-i}$  of the other country – strictly higher than under an international permit market,  $\theta_i^D(\theta_{-i}) > \theta_i^I(\theta_{-i})$ , if and only if the following condition holds:

$$\begin{aligned} \text{LHS}(\theta_{-i}) &\equiv (1 + \alpha\gamma_{-i})[\gamma_{-i}\theta_{-i} + \beta(1 - \beta)] \\ &> \gamma_{-i}\theta_{-i} \left[ (2 - \alpha\beta\theta_{-i})(1 - \beta) - \alpha\gamma_{-i}\theta_{-i}^2 \right] \equiv \text{RHS}(\theta_{-i}). \end{aligned} \quad (\text{A.30})$$

It is straightforward to show that

$$\frac{d\text{LHS}(\theta_{-i})}{d\theta_{-i}} > 0, \quad \frac{d\text{RHS}(\theta_{-i})}{d\theta_{-i}} \geq 0, \quad (\text{A.31})$$

$$\frac{d^2\text{LHS}(\theta_{-i})}{d\theta_{-i}^2} > 0, \quad \frac{d^2\text{RHS}(\theta_{-i})}{d\theta_{-i}^2} < 0. \quad (\text{A.32})$$

LHS is a convex, RHS a concave function in  $\theta_{-i}$ . As  $\text{LHS}(0) = \beta(1 - \beta) > 0 = \text{RHS}(0)$ , LHS and RHS will not intersect in the interval  $\theta_{-i} \in [0, 1]$  and thus  $\theta_i^D(\theta_{-i}) > \theta_i^I(\theta_{-i})$  if:

$$\frac{d\text{LHS}(0)}{d\theta_{-i}} > \frac{d\text{RHS}(0)}{d\theta_{-i}} - \beta(1 - \beta). \quad (\text{A.33})$$

Replacing the defined variables by the original terms yields equation (22).  $\square$

### Details of the numerical illustrations

For all numerical illustrations, we apply the following quadratic benefit and damage functions:

$$B_i(e_i) = \frac{1}{\phi_i} e_i \left( 1 - \frac{1}{2} e_i \right), \quad B_i'(e_i) = \frac{1 - e_i}{\phi_i}, \quad B_i''(e_i) = -\frac{1}{\phi_i}, \quad (\text{A.34a})$$

$$D_i(E) = \frac{\epsilon_i}{2} E^2, \quad D_i'(E) = \epsilon_i E, \quad D_i''(E) = \epsilon_i. \quad (\text{A.34b})$$

In **Section 4** we employ the following exogenously given parameters:

$$\phi_1 = 1, \quad \phi_2 = 0.2, \quad \epsilon_1 = 1, \quad \epsilon_2 = 1. \quad (\text{A.35})$$

This yields the following equilibrium delegation choices:

$$\theta_1^D = 0.90, \quad \theta_2^D = 0.52, \quad \theta_1^I = 0.10, \quad \theta_2^I = 0.86, \quad (\text{A.36})$$

as illustrated in Figure 1.

For the numerical exercise in **Section 5** we parameterize functions (A.34) using relative energy productivities from the OECD Green Growth Indicators database<sup>12</sup> for the year 2011 and relative WTPs for abatement of carbon emissions from Carbone et al. (2009). As there is no explicit data on energy productivities for the EU as a whole, we take the productivity of all OECD countries together as a proxy. According to this database, China exhibits approximately half the energy productivity of the OECD. Following Carbone et al. (2009), Western Europe has a six times higher WTP to avoid climate damages than China. As a consequence, we set the exogenous parameters to:

$$\phi_1 = 1, \quad \phi_2 = 0.5, \quad \epsilon_1 = 0.03, \quad \epsilon_2 = 0.2. \quad (\text{A.37})$$

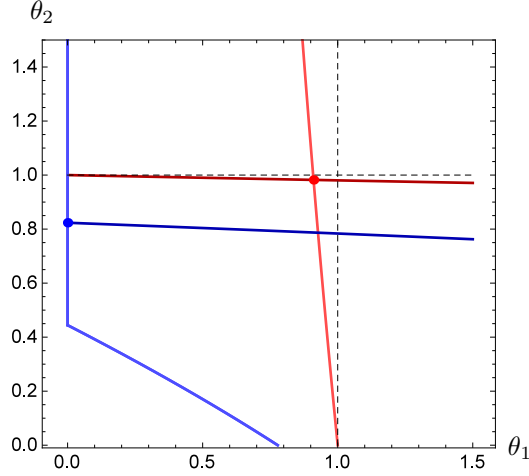
**Sensitivity analyses:** We first keep the WTPs constant but vary the energy productivities, and then do the opposite. Consider an increase in the energy productivity in China such that  $\phi_1 = 2/3$ . The results are depicted in Table 2. Again, China is the permit seller, and an international permits market forms only in the case of self-representation. The corner Nash equilibrium from before prevails, as can be seen in Figure 4.

<i>Without strategic delegation</i>									
Regime	$\theta_1^R$	$\theta_2^R$	$\omega_1^R$	$\omega_2^R$	$e_1^R$	$e_2^R$	$E^R$	$V_1^R$	$V_2^R$
$R = D$	1	1	0.96	0.82			1.79	0.65	0.330
$R = I$	1	1	1.04	0.72	0.86	0.90	1.76	0.68	0.332
<i>With strategic delegation</i>									
Regime	$\theta_1^R$	$\theta_2^R$	$\omega_1^R$	$\omega_2^R$	$e_1^R$	$e_2^R$	$E^R$	$V_1^R$	$V_2^R$
$R = D$	0.91	0.98	0.97	0.82			1.79	0.65	0.33
$R = I$	0	0.82	1.08	0.75	0.90	0.92	1.82	0.67	0.30

**Table 2:** Overview of the outcomes in the subgame perfect Nash equilibria without and with strategic delegation.

<sup>12</sup> DOI:10.1787/9789264202030-en





**Figure 4:** Reaction functions for the principals in country 1 (China, light) and country 2 (EU, dark) under the regimes  $R = D$  (red) and  $R = I$  (blue) on the delegation stage.

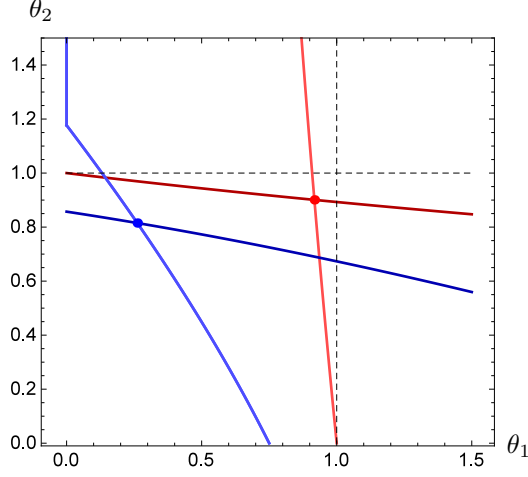
Increasing China's WTP from  $\epsilon_1 = 0.03$  to  $\epsilon_1 = 0.15$  yields a unique interior Nash equilibrium (see Figure 5). The results are summarized in Table 3.

<i>Without strategic delegation</i>									
Regime	$\theta_1^R$	$\theta_2^R$	$\omega_1^R$	$\omega_2^R$	$e_1^R$	$e_2^R$	$E^R$	$V_1^R$	$V_2^R$
$R = D$	1	1	0.80	0.84			1.64	0.16	0.436
$R = I$	1	1	0.84	0.77	0.74	0.87	1.61	0.18	0.438
<i>With strategic delegation</i>									
Regime	$\theta_1^R$	$\theta_2^R$	$\omega_1^R$	$\omega_2^R$	$e_1^R$	$e_2^R$	$E^R$	$V_1^R$	$V_2^R$
$R = D$	0.92	0.90	0.82	0.85			1.67	0.1499	0.42
$R = I$	0.26	0.82	1.00	0.75	0.83	0.92	1.75	0.1492	0.35

**Table 3:** Overview of the outcomes in the subgame perfect Nash equilibria without and with strategic delegation.

### Effect of marginal change in environmental awareness

To analyze the effect of a marginal change in environmental awareness  $\theta_i^M$  of the principal, we differentiate equation (23) for both countries with respect to  $\theta_i^M$  (suppressing some of



**Figure 5:** Reaction functions for the principals in country 1 (China, light) and country 2 (EU, dark) under the regimes  $R = D$  (red) and  $R = I$  (blue) on the delegation stage.

the arguments):

$$\begin{aligned} \frac{d\Delta V_i}{d\theta_i^M} = & \left\{ D_i(E^D(\Theta^D)) - D_i(E^I(\Theta^I)) \right\} - \frac{d\theta_{-i}^D}{d\theta_i^M} \left[ B'_i(\omega_i^D(\cdot)) \frac{d\omega_i^D}{d\theta_{-i}^D} - D'_i(E^D(\cdot)) \frac{dE^D}{d\theta_{-i}^D} \right] \\ & + \frac{d\theta_{-i}^I}{d\theta_i^M} \left[ p(E^I(\cdot)) \frac{d\omega_i^I}{d\theta_{-i}^I} + p'(E^I(\cdot)) [\omega_i^I(\cdot) - e_i^I(E^I(\cdot))] \frac{dE^I}{d\theta_{-i}^I} - D'_i(E^I(\cdot)) \frac{dE^I}{d\theta_{-i}^I} \right], \end{aligned} \quad (\text{A.38})$$

$$\begin{aligned} \frac{d\Delta V_{-i}}{d\theta_i^M} = & -\frac{d\theta_{-i}^D}{d\theta_i^M} \left[ B'_{-i}(\omega_{-i}^D(\cdot)) \frac{d\omega_{-i}^D}{d\theta_{-i}^D} - D'_{-i}(E^D(\Theta^D)) \frac{dE^D}{d\theta_{-i}^D} \right] \\ & + \frac{d\theta_{-i}^I}{d\theta_i^M} \left[ p(E^I(\cdot)) \frac{d\omega_{-i}^I}{d\theta_{-i}^I} + p'(E^I(\cdot)) [\omega_{-i}^I(\cdot) - e_{-i}^I(E^I(\cdot))] \frac{dE^I}{d\theta_{-i}^I} - D'_{-i}(E^I(\cdot)) \frac{dE^I}{d\theta_{-i}^I} \right]. \end{aligned} \quad (\text{A.39})$$

In country  $i$ , there is a direct effect on  $\Delta V_i$  of a marginal increase in environmental awareness (the term in curly brackets in (A.38)). This effect goes in the direction of the regime with lower total emissions. However, there are also indirect effects through a change in the equilibrium environmental awareness  $\theta_{-i}$  of the appointed agent in the other country in the second stage which induces a change in the equilibrium permit choices of both countries and thus aggregate emissions under both regimes in the third stage. Therefore, the payoffs of country  $i$ 's principal change under both regimes. For the principal in country  $-i$ , there are similar indirect changes in the payoffs under both regimes induced by a change in the equi-

librium environmental awareness  $\theta_i$  of the delegate in country  $i$  and the associated changes in equilibrium permit choices in both countries.

To show that an increase (decrease) in environmental awareness may lead to a regime change and thus bring about higher (lower) global emissions, we focus on the case of quadratic benefit functions, as in (A.34), but linear environmental damages:

$$D_i(E) = \epsilon_i E, \quad D'_i(E) = \epsilon_i, \quad D''_i(E) = 0. \quad (\text{A.40})$$

It can be easily shown that the signs of the terms in square brackets in equations (A.38) and (A.39) are positive. Therefore, we need to evaluate the signs of  $d\theta_i^R/d\theta_i^M$  and  $d\theta_{-i}^R/d\theta_i^M$  for  $R \in \{D, I\}$ .

Using equations (A.28a) and (A.28b) for both countries, we find:

$$\theta_i^D = \theta_i^M, \quad (\text{A.41})$$

$$\theta_{-i}^D = \theta_{-i}^M, \quad (\text{A.42})$$

$$\theta_i^I = \frac{\theta_i^M [2(\epsilon_i)^2(\phi_i + \phi_{-i}) + \epsilon_i \epsilon_{-i} \phi_{-i}] - \theta_{-i}^M (\epsilon_{-i})^2 \phi_i}{2(\epsilon_i)^2(\phi_i + \phi_{-i}) + \epsilon_i \epsilon_{-i} \phi_{-i} + (\epsilon_i)^2 \phi_i} < \theta_i^M, \quad (\text{A.43})$$

$$\theta_{-i}^I = \frac{\theta_{-i}^M [2(\epsilon_{-i})^2(\phi_i + \phi_{-i}) + \epsilon_{-i} \epsilon_i \phi_i] - \theta_i^M (\epsilon_i)^2 \phi_{-i}}{2(\epsilon_{-i})^2(\phi_i + \phi_{-i}) + \epsilon_{-i} \epsilon_i \phi_i + (\epsilon_{-i})^2 \phi_i} < \theta_{-i}^M. \quad (\text{A.44})$$

Thus,

$$\frac{d\theta_i^D}{d\theta_i^M} > 0, \quad \frac{d\theta_{-i}^D}{d\theta_i^M} = 0, \quad \frac{d\theta_i^I}{d\theta_i^M} > 0, \quad \frac{d\theta_{-i}^I}{d\theta_i^M} < 0, \quad (\text{A.45})$$

confirming our results that, for linear damages, delegation choices are dominant strategies in the domestic permit markets regime but strategic substitutes in the international permit market regime.

Consider the situation of an established international permit market with  $E^I < E^D$ , i.e.,  $\Delta V_i > 0$  and  $\Delta V_{-i} > 0$ . Now assume, for example, that  $\theta_i^M$  increases. Then, in equation (A.38), the term in curly brackets is positive, the first term in square brackets drops out, and the term in the second line is negative. There is thus a direct effect which goes in the direction of the regime with lower emissions (the status quo regime) but an indirect effect which goes in the opposite direction. If the indirect effect outweighs the direct effect, the principal now favors the status quo regime less than before and may even change her support from regime  $I$  to regime  $D$ . In this case, regime  $I$  breaks down and the new regime exhibits higher global emissions. Moreover, in equation (A.39), the term in the first line is negative and the term in the second line is positive. So even if the changes in payoffs for the

principal in country  $i$  do not suffice to induce a shift to the environmentally less friendly regime, this may happen because the principal in the other country ceases her support for regime  $I$ . The greening of preferences in one country may thus worsen the environmental outcome.

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